

Denoising

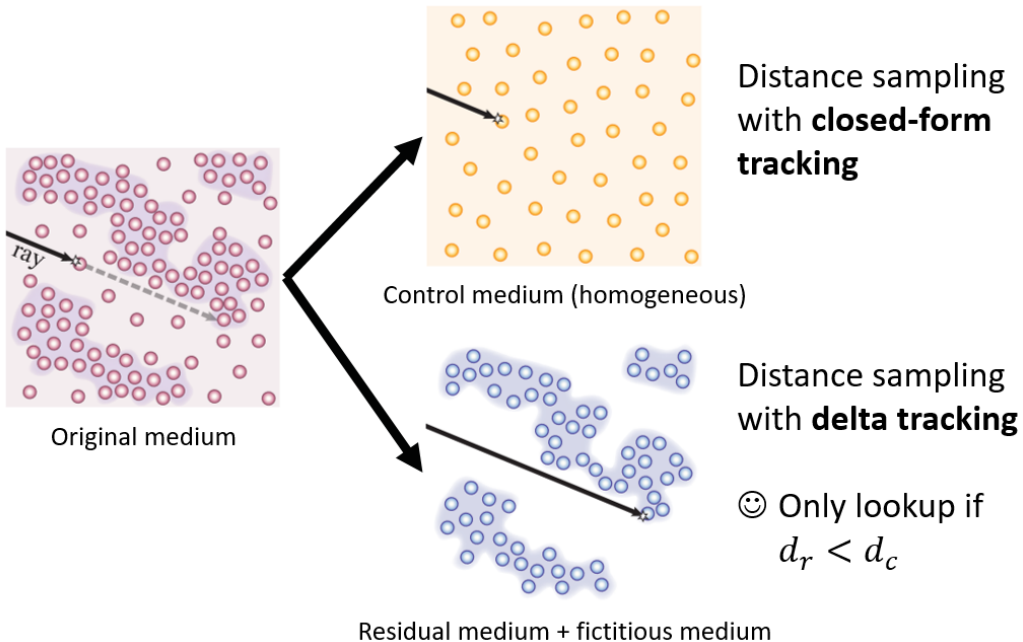
20130501 이철민(Lee CheolMin)

Review

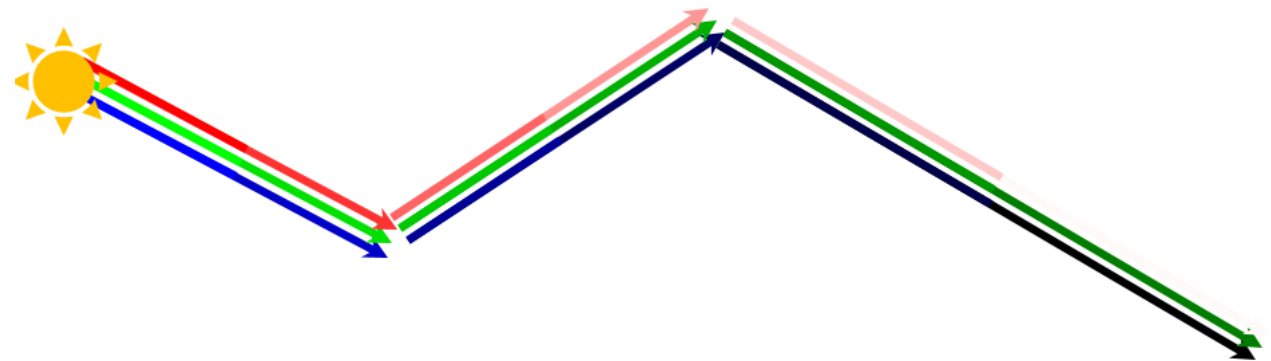
- Spectral and Decomposition Tracking for Rendering Heterogeneous Volumes

1. Decompose original medium into homogeneous and residual

Decomposition tracking



2. Spectral Tracking



Review

- Lighting Grid Hierarchy for Self-illuminating Explosions

How to shade with so many point lights?

1. Building LGH

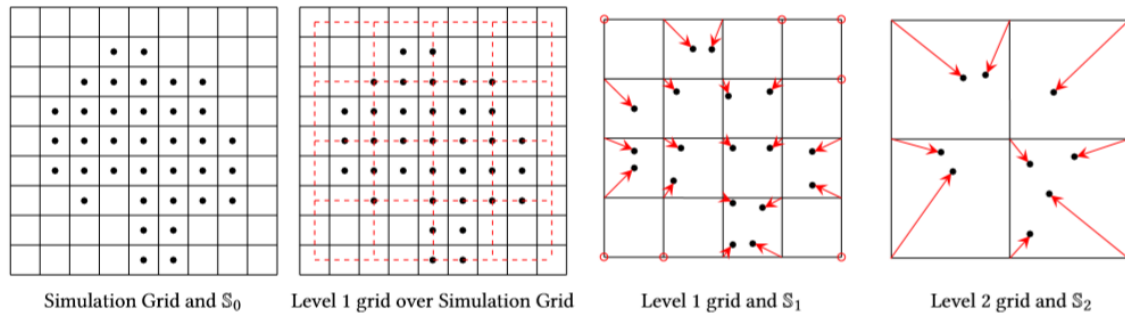
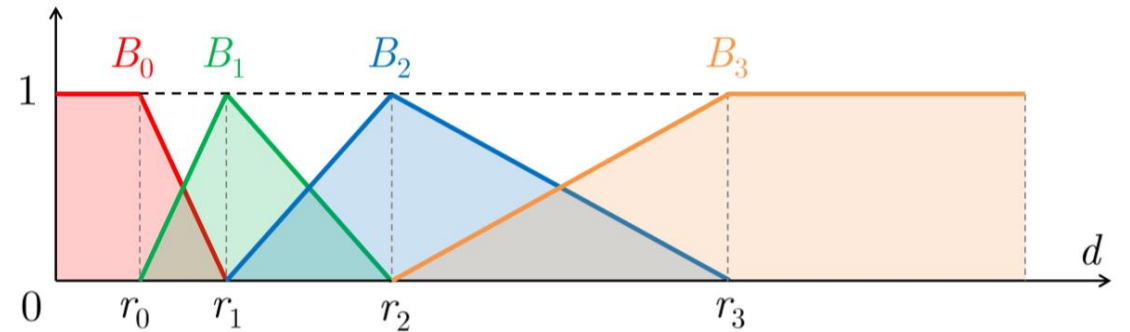


Fig. 2. Our lighting grid hierarchy for explosion rendering. We begin with the explosion simulation grid and generate point lights (shown as black dots) in voxels with high temperature values. We place the highest resolution (level 1) lighting grid, such that vertices of the grid are aligned with voxel centers. For each vertex of the lighting grid at any level, we keep the illumination center, shown as black dots along with offset arrows from their grid vertices.

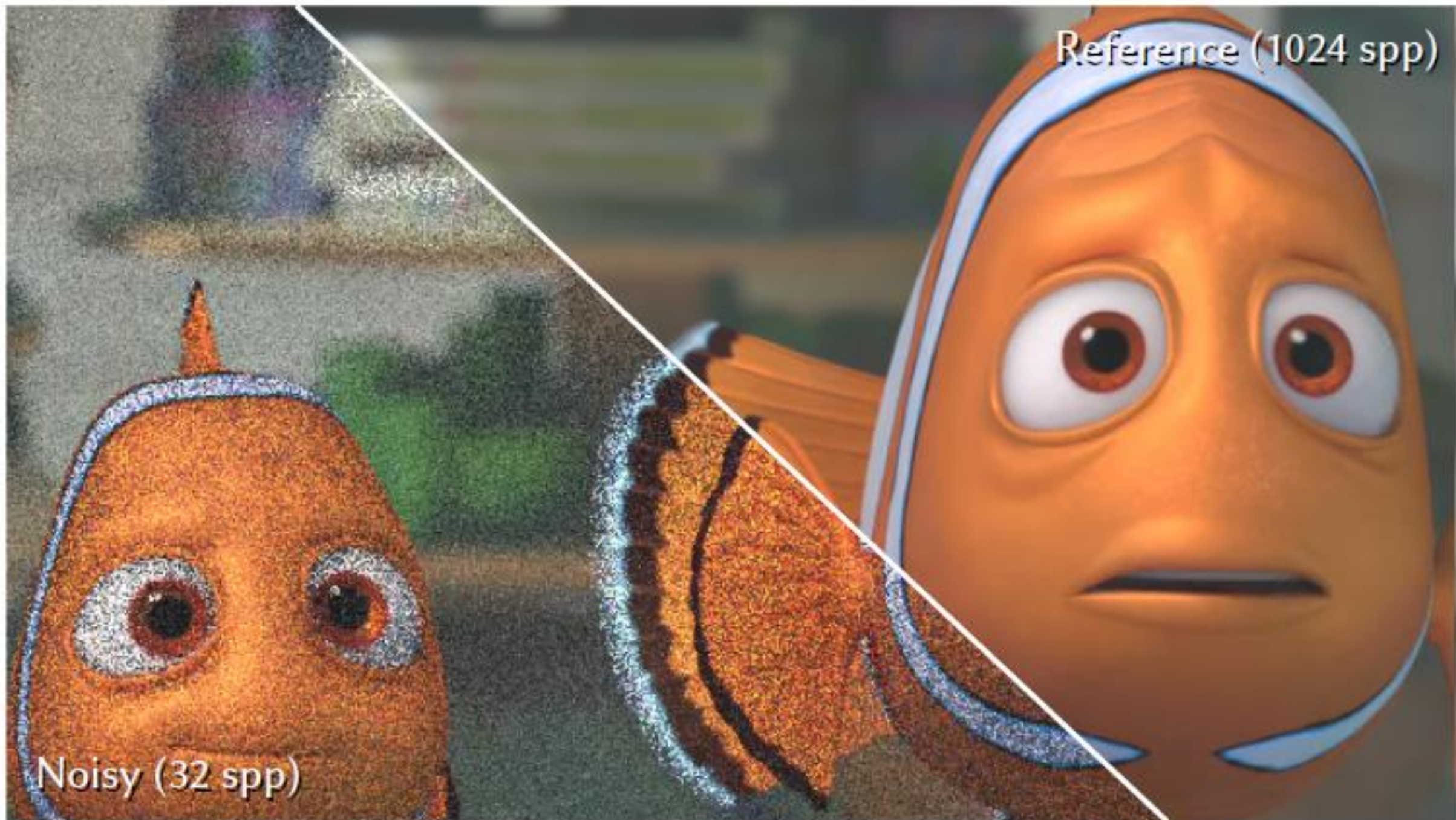
2. Estimating lighting



Problem

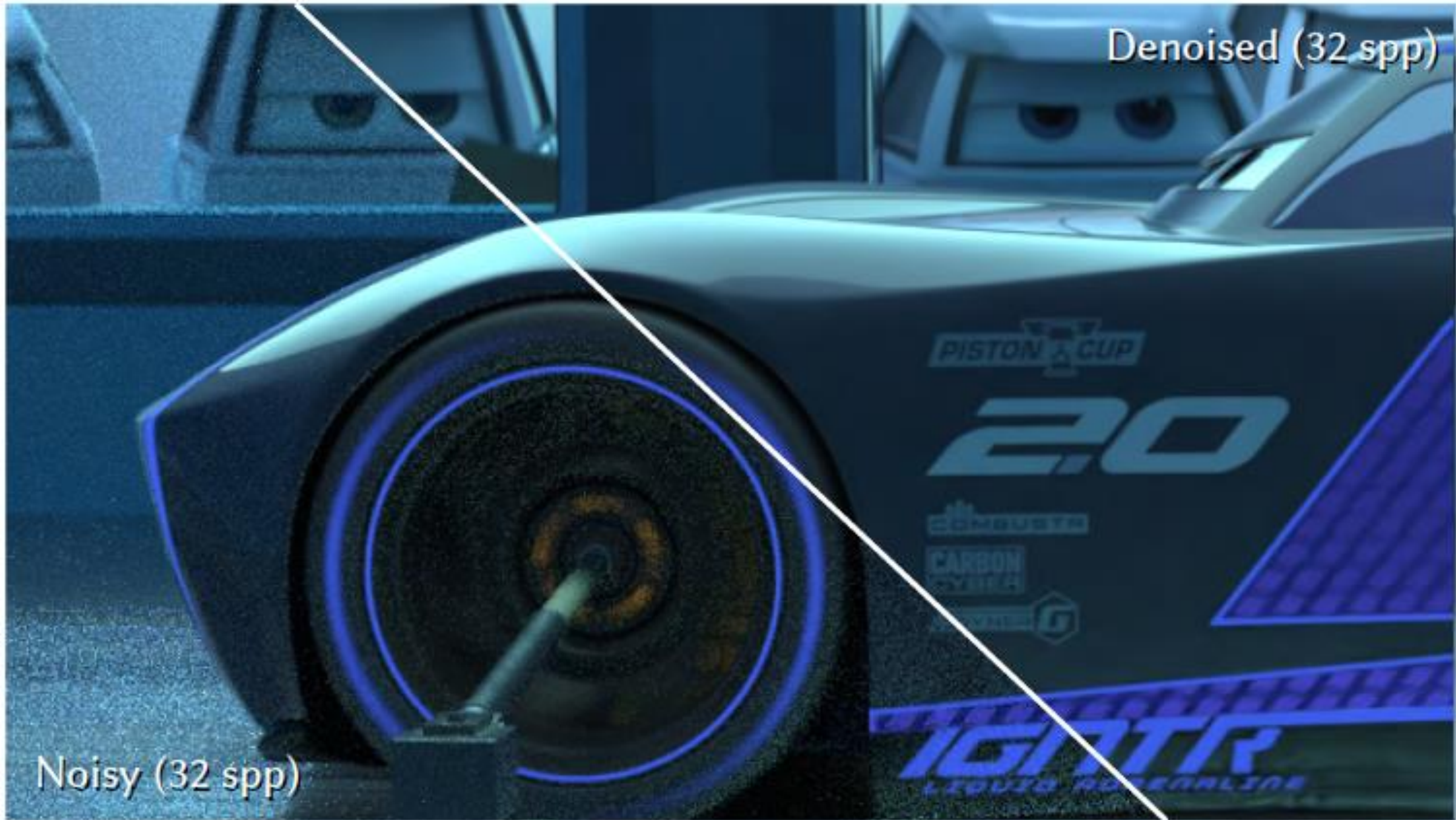
Why do we need Denoising?

- Noise with Monte Carlo Rendering
- To reduce Noise, more sampling → long time
- Instead, low sampling and denoising → short time



Reference (1024 spp)

Noisy (32 spp)




Adaptive Polynomial Rendering

1. Previous work and Goal
2. Methods
3. Result

Adaptive Polynomial Rendering

- Follow-up study



SIGGRAPH2015
Xroads of Discovery

The 42nd International Conference and Exhibition
on Computer Graphics and Interactive Techniques

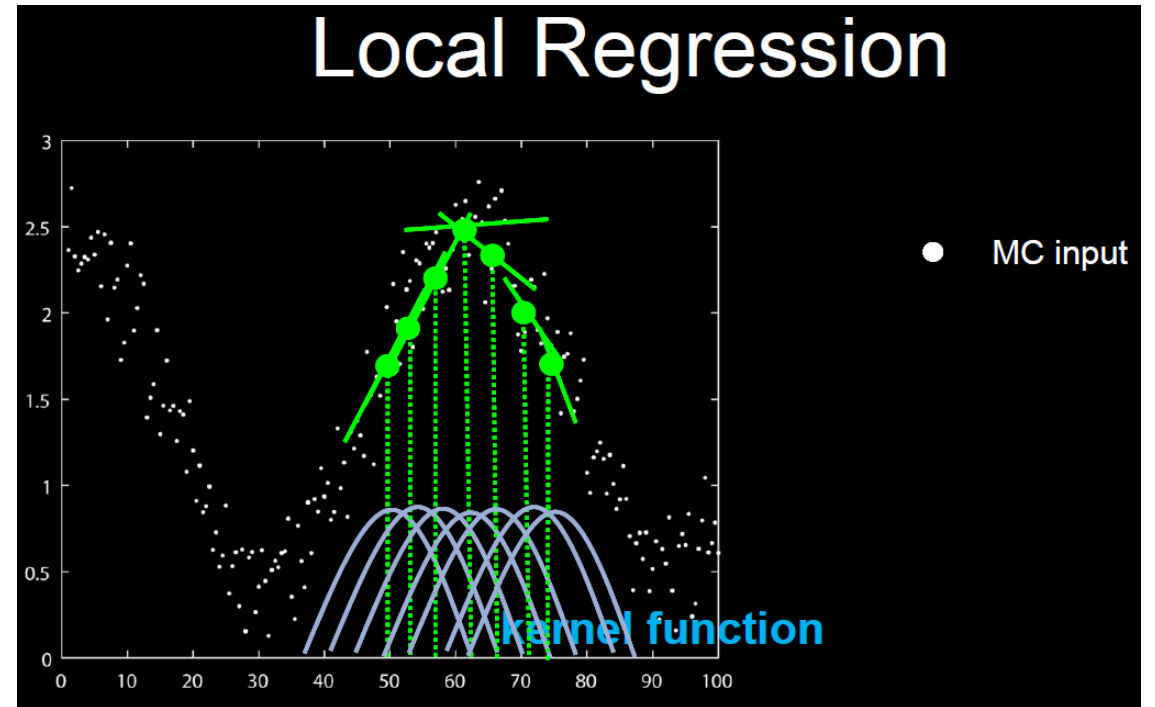
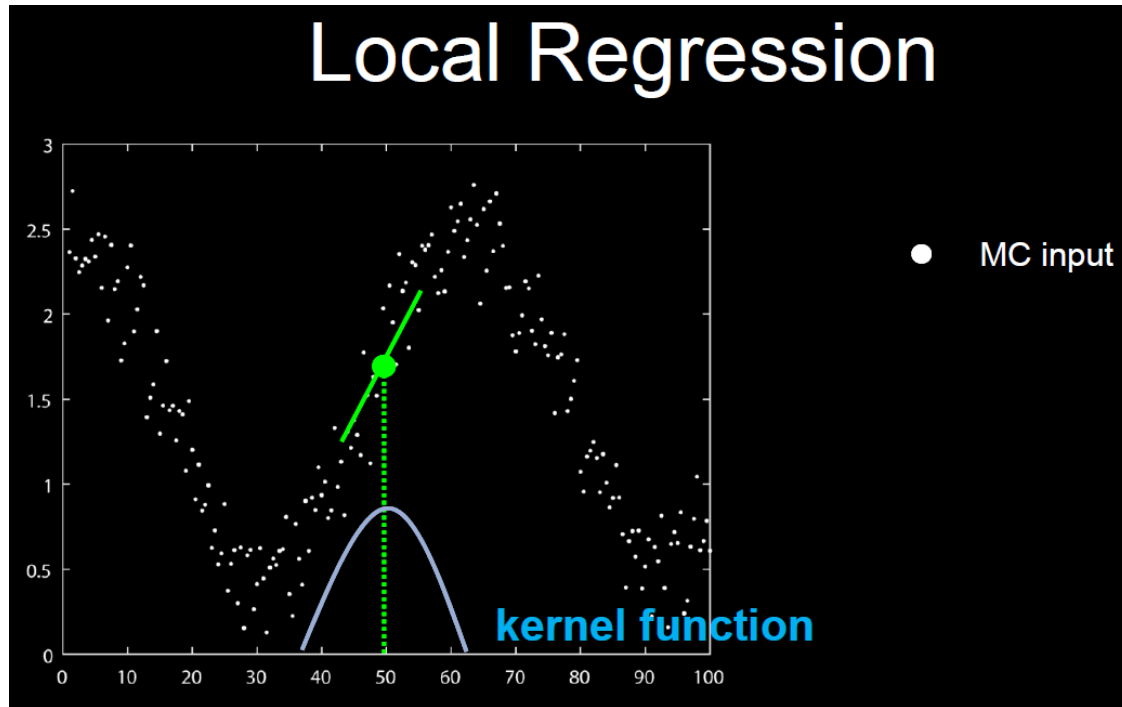
Adaptive Rendering based on Weighted Local Regression

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Previous work and Goal



- Previous work(Learned In class)
Predict the local value by approximating the **Linear Equation**
- New method
Predict the local value by approximating the **High dimensional Equation**

기존 연구: 선형 근사를 통해 local value를 추정.

후속 연구: **고차원 함수 근사**를 통해 local value 추정.

Goal – Find appropriate Order of Polynomial Approximation

Best order!



Higher order does not guarantee higher performance. Therefore, We need find out [the optimal order](#).

높은 차수가 높은 성능을 보장하지 않는다. 에러가 가장 낮은 [최적의 차수](#)가 존재하며 이 차수를 탐색해서 찾아야 한다.

Method

1. Express our reconstruction bias and variance
2. Propose a robust estimation process for the error terms

In mathematics – PASS!

- Taylor Polynomials
- Least square optimization
- Normal equation
- Reconstruction output

$$y(i) = \mu(i) + \epsilon(i),$$

$$\mu(i) \approx \nabla g(f_c)(f_i - f_c)^T + p(c) + \sum_{1 < a < k} \frac{\nabla^a p(c)}{a!} ((i - c)^a)^T, \quad (2)$$

$$\sum_{i \in \Omega_c} \left(y(i) - \alpha(f_i - f_c)^T - \beta_0 - \sum_{1 \leq a \leq k} \beta_a ((i - c)^a)^T \right)^2 K_h(i).$$

$$\hat{y}_k(c) = e_1(X_k^T W X_k) X_k^T W y,$$

$$\hat{y}_k = X_k(X_k^T W X_k) X_k^T W y = H(k)y,$$

$$\hat{y}(i) = \sum_{j \in \Omega_i} K_h^j(i) \hat{y}_k^j(i) / \sum_{j \in \Omega_i} K_h^j(i),$$

In mathematics – PASS!

- Reconstruction Error
- Bias and Variance
- Bias to hat matrix
- Variance approximation

$$\xi_c(k) \equiv \frac{1}{\sum_{i \in \Omega_c} K_h(i)} \sum_{i \in \Omega_c} K_h(i) (\hat{y}_k(i) - \mu(i))^2$$

$$E (\hat{y}_k(i) - \mu(i))^2 = bias^2(\hat{y}_k(i)) + \sigma^2(\hat{y}_k(i)).$$

$$\begin{aligned} E(\hat{y}_k(i) - \mu(i)) &= \sum_{j \in \Omega_c} H_{ij}(k) E(y(j)) - \mu(i) \\ &\approx \sum_{j \in \Omega_c} H_{ij}(k) \mu(j) - \mu(i), \end{aligned}$$

$$\sigma^2(\hat{y}_k(i)) \approx \sum_{j \in \Omega_c} (H_{ij}(k))^2 \sigma^2(y(j)),$$

Method

1. Express error with bias and variance

- We cannot know actual error. so we compute error by using bias and variance

$$k_{opt} = \underset{k}{\operatorname{argmin}} \sum_{i \in \Omega_c} K_h(i) \left((E(\hat{y}_k(i)) - \mu(i))^2 + \sigma^2(\hat{y}_k(i)) \right).$$

2. Propose a robust estimation process for the error terms

- To compute fast, we compute robust estimation with iteration step.

$$E_t(\hat{y}_k(i) - \mu(i)) \approx \sum_{j \in \Omega_c} H_{ij}(k) \hat{y}_{t-1}(j) - \hat{y}_{t-1}(i), \quad \sigma_t^2(\hat{y}_k(i)) \approx \sum_{j \in \Omega_c} (H_{ij}(k))^2 \hat{\sigma}_{t-1}^2(y(j)),$$





Ours, 31 spp (155.3 s)
rMSE 0.00768



ALP, 35 spp (159.5 s)
rMSE 0.01079



Ours, 31 spp (155.3 s)
rMSE 0.00768



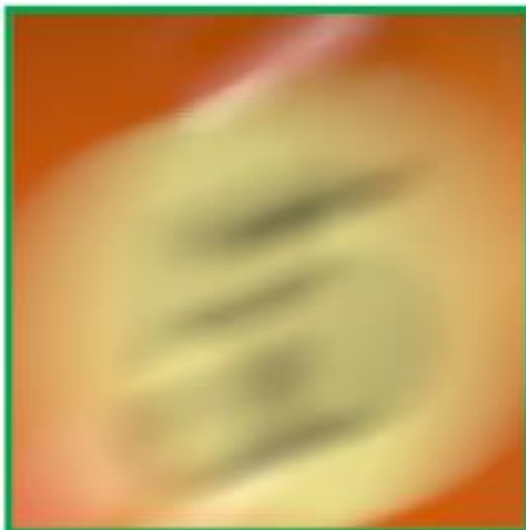
Reference, 16K spp



Ours, 30 spp (65.8 s)
rMSE 0.00029



ALP, 36 spp (67.0 s)
rMSE 0.00047



Ours, 30 spp (65.8 s)
rMSE 0.00029



Reference, 64K spp

Kernel-Predicting Convolutional Networks for Denoising Monte Carlo Renderings

1. Image Filter
2. Machine Learning
3. Methods
4. Result

Kernel-Predicting Convolutional Networks for Denoising Monte Carlo Renderings

- Denoising with Machine Learning Technique

Image Filter

Element-wise Multiplication and Sum

 $I[\cdot, \cdot]$

0	0	0	0	0	0	0	0	0	0
0	0	0	0	0	0	0	0	0	0
0	0	0	90	90	90	90	90	0	0
0	0	0	90	90	90	90	90	0	0
0	0	0	90	90	90	90	90	0	0
0	0	0	90	0	90	90	90	0	0
0	0	0	90	90	90	90	90	0	0
0	0	0	0	0	0	0	0	0	0
0	0	90	0	0	0	0	0	0	0
0	0	0	0	0	0	0	0	0	0

 $h[\cdot, \cdot]$

 $\frac{1}{9}$ $f[\cdot, \cdot]$

1	1	1
1	1	1
1	1	1

Image Filter

Element-wise Multiplication and Sum

$I[\cdot, \cdot]$

0	0	0	0	0	0	0	0	0	0
0	0	0	0	0	0	0	0	0	0
0	0	0	90	90	90	90	90	0	0
0	0	0	90	90	90	90	90	0	0
0	0	0	90	90	90	90	90	0	0
0	0	0	90	0	90	90	90	0	0
0	0	0	90	90	90	90	90	0	0
0	0	0	0	0	0	0	0	0	0
0	0	90	0	0	0	0	0	0	0
0	0	0	0	0	0	0	0	0	0

$h[\cdot, \cdot]$

	0	10							

$\frac{1}{9}$

$f[\cdot, \cdot]$

1	1	1
1	1	1
1	1	1

Blurring with kernel(filter)



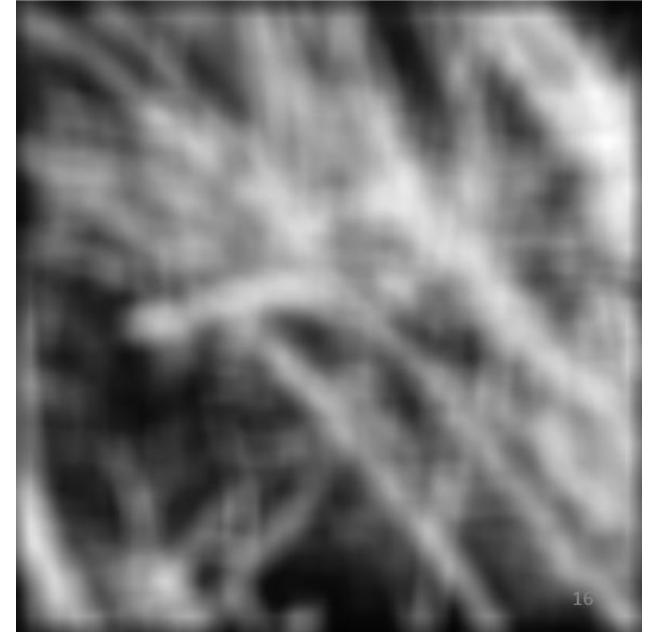
Input

$$* \frac{1}{9} \begin{matrix} f[\cdot, \cdot] \\ \begin{array}{|c|c|c|} \hline 1 & 1 & 1 \\ \hline 1 & 1 & 1 \\ \hline 1 & 1 & 1 \\ \hline \end{array} \\ = \end{matrix}$$

*

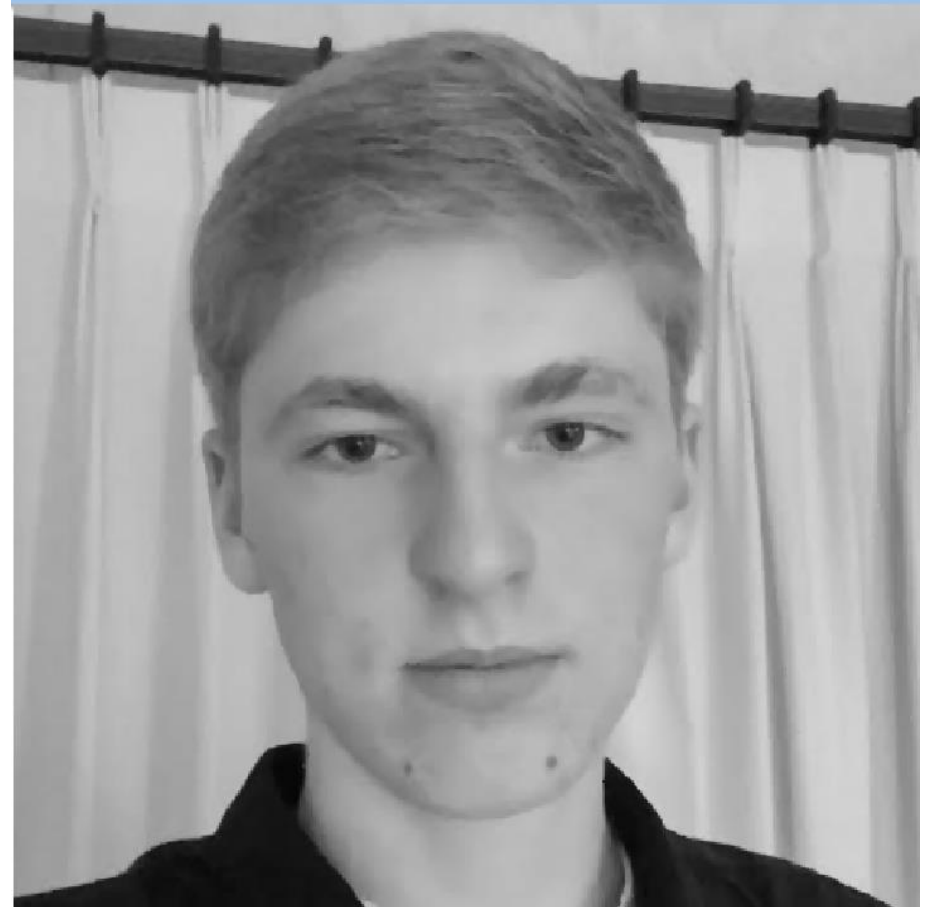
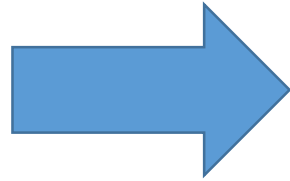
Kernel

=

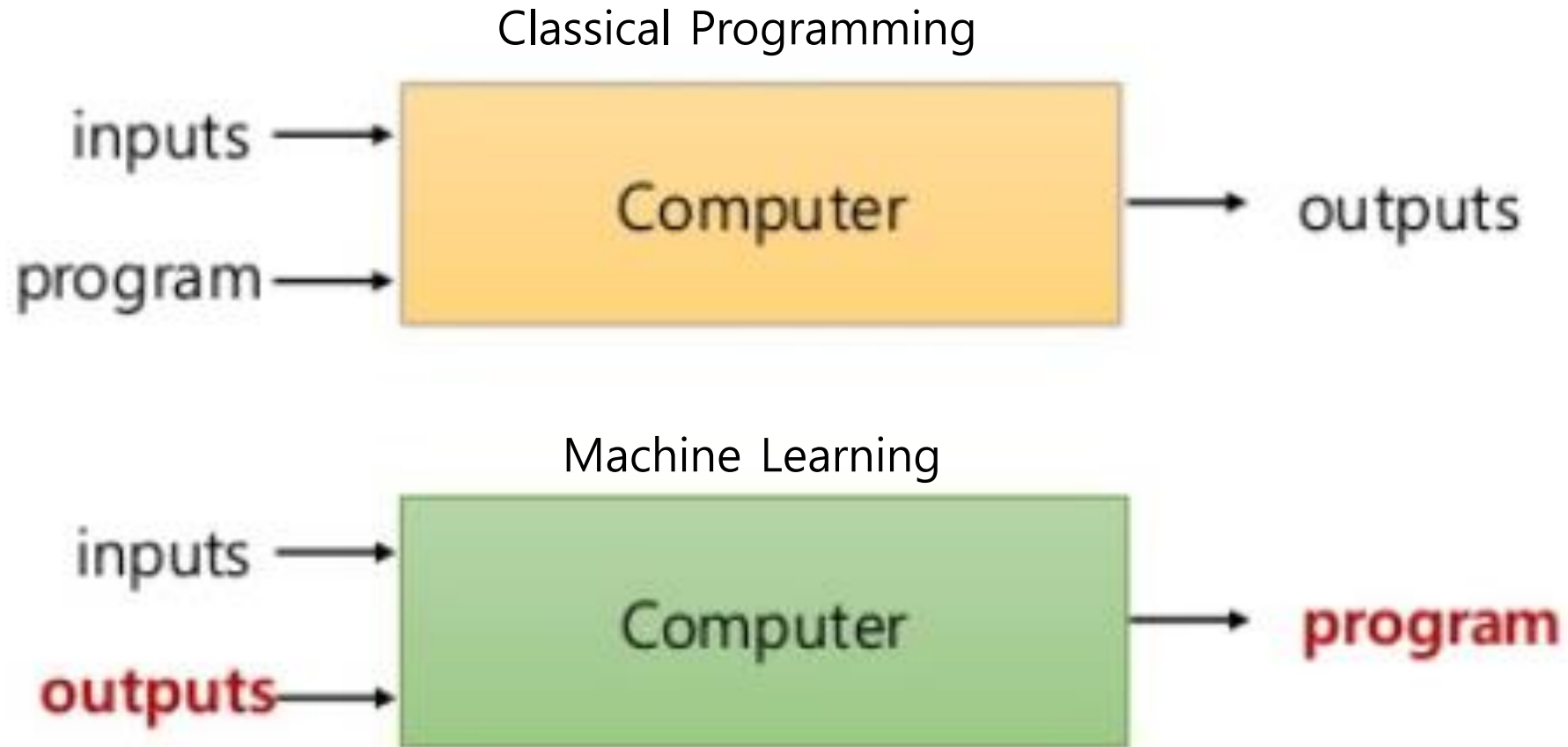


Output

Denoising with kernel(filter)



Machine Learning(ML)



Data format(EXR image data)

- Data consists of many channels, not only RGB channels

RGB



Diffuse



Specular

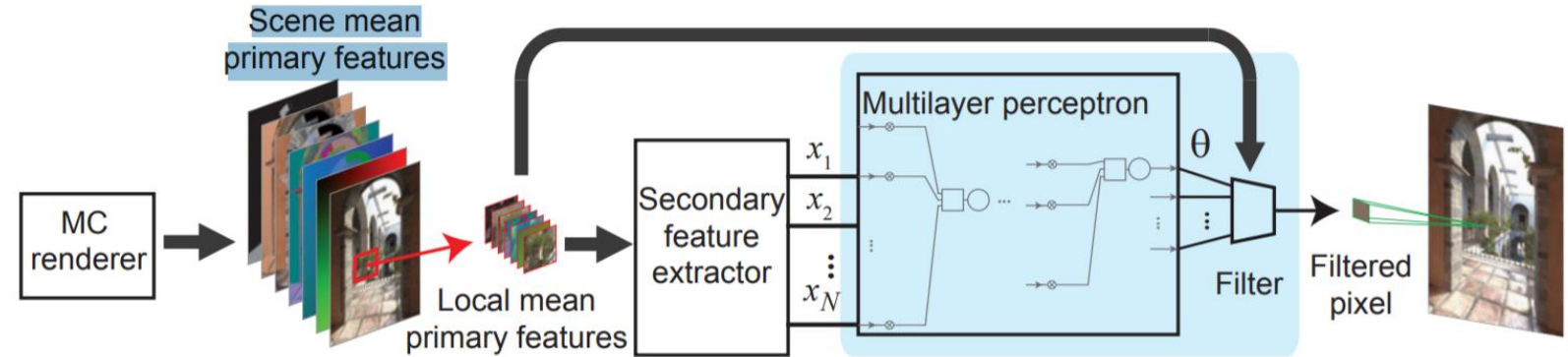


Depth

Method

- Previous Method

- Accumulated prediction with single network



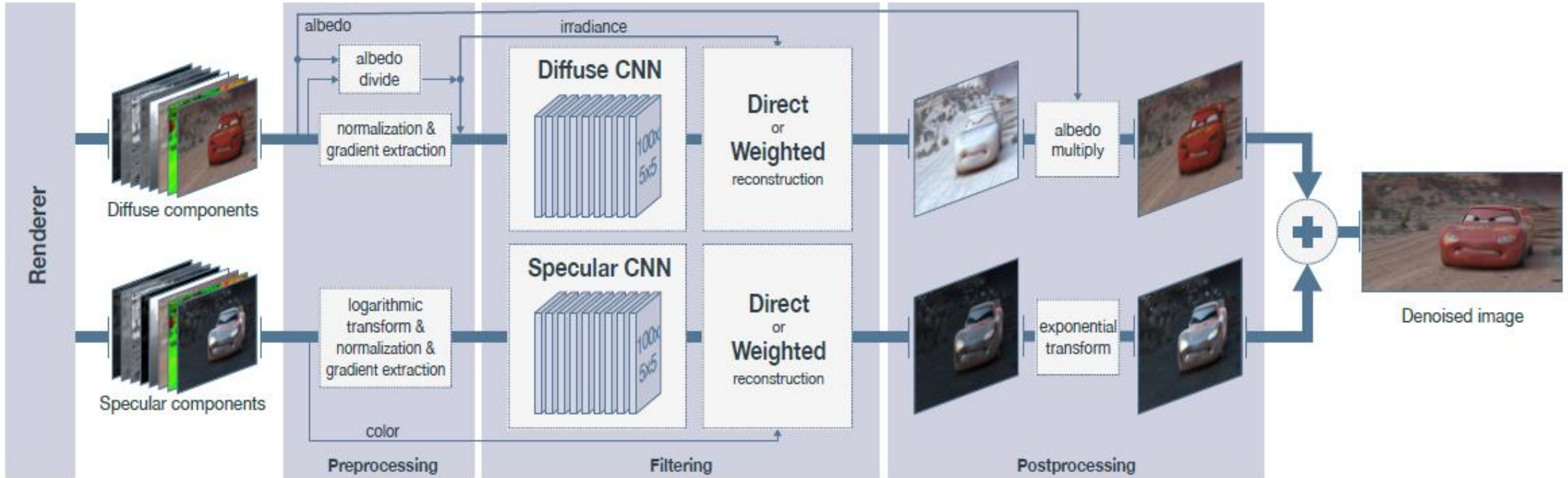
- Proposed Method

1. Decompose channels into Diffuse Component and Specular Component
2. Denoising by Kernel-Prediction Convolutional Network (KPCN)

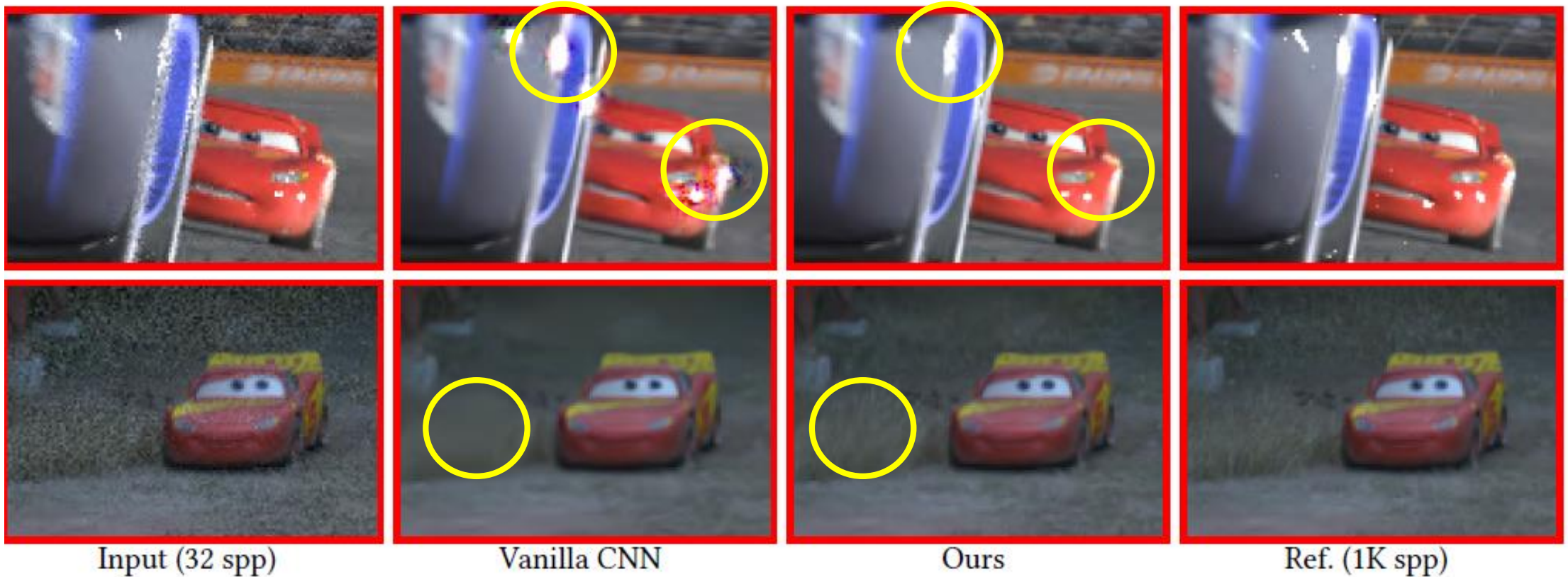
기존 연구: 채널 분리 없이 하나의 모델로 학습

후속 연구: Diffuse와 Specular로 분리하여 두개의 모델로 학습 + 커널 예측 모델

Decomposition



Why Decomposition?



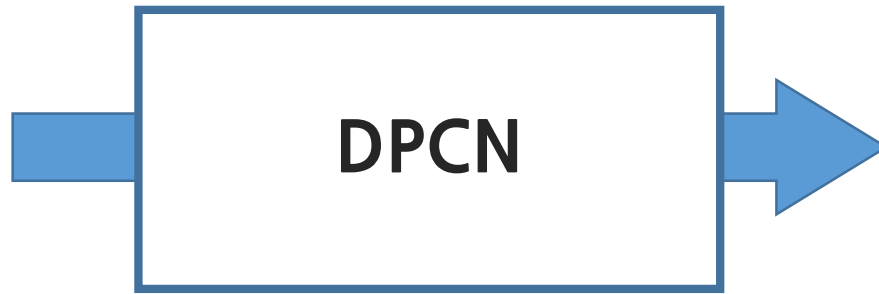
- The various components of the image have **different noise characteristics and spatial structure**. This leads the single network model into the **low quality and overblurring**.

채널마다 특성이 달라 noise에 대해 서로 다른 특성을 갖는다. 따라서 모든 채널을 한 네트워크로 학습시키면 **overblurring**이 일어난다.

DPCN



Noisy Image

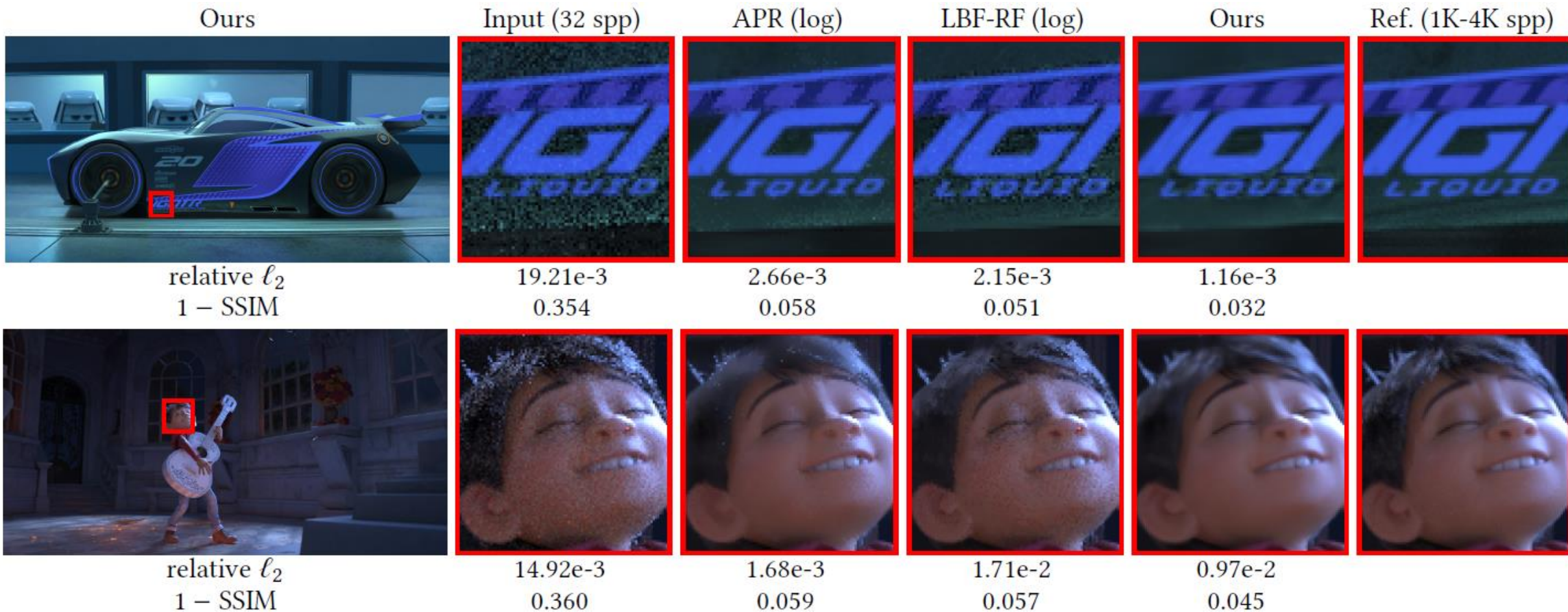


Clear Image

DPCN predicts the color value directly

Result

APR : Adaptive Polynomial Regression (just previous one)
LBF-RF : Previous Learning Based Denoising



Result

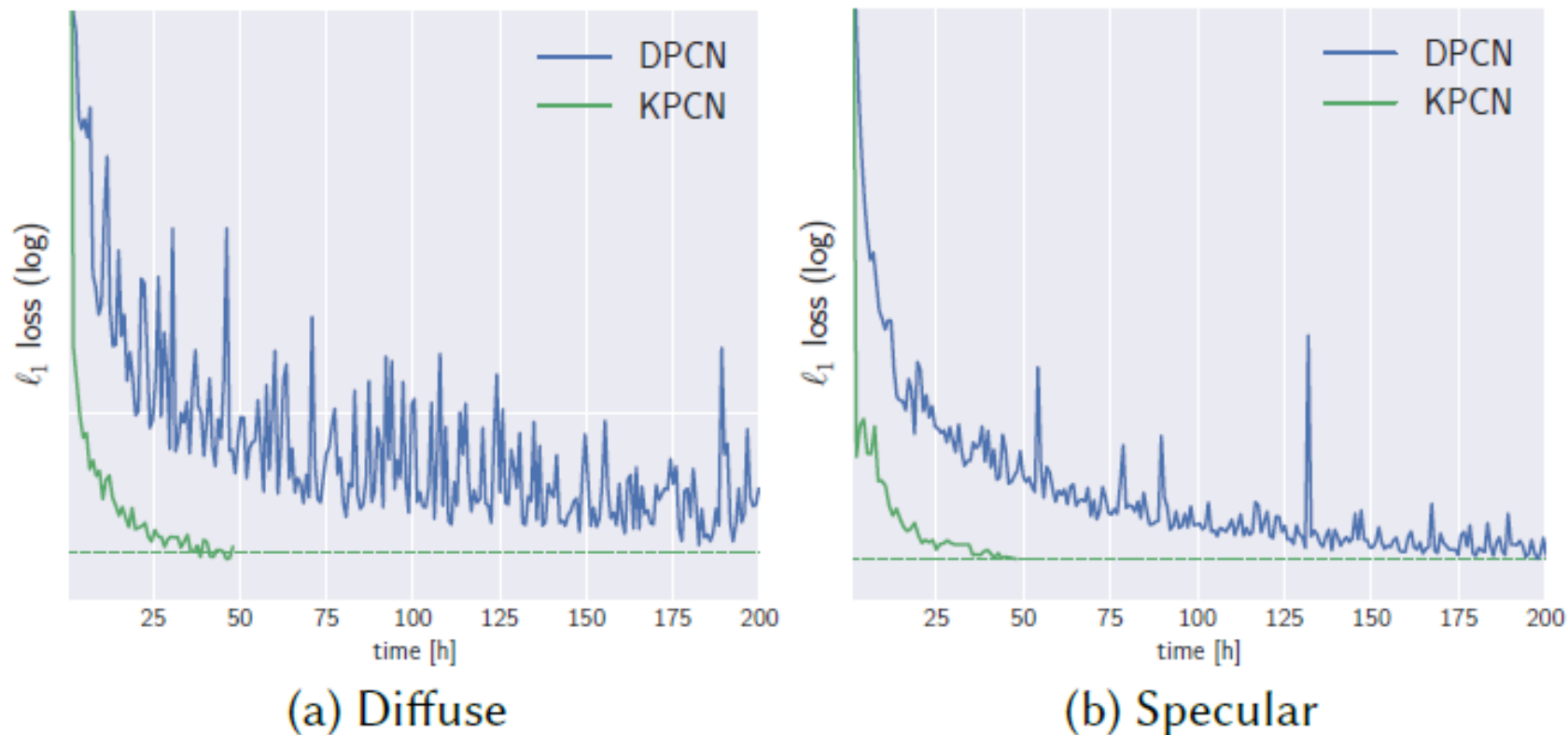


Fig. 9. Comparison of optimization speed between the DPCN and KPCN architectures. Although both approaches converge to a similar error on the *Cars 3* validation set, the KPCN system converges 5–6X faster.

Thanks a lot!

Quiz

1. What is **purpose** of Adaptive Polynomial Rendering?

(1) Compute image with bias and variance

(2) Find appropriate order of local polynomial regression

2. Which is **better** performance in second paper?

(1) Direct-Prediction Convolutional Network (DPCN)

(2) Kernel-Prediction Convolutional Network (KPCN)

References

- Adaptive Polynomial Rendering, Bochang Moon / ACM Transactions on Graphics 2016
- Kernel-Predicting Convolutional Networks for Denoising Monte Carlo Renderings, Steve Bako / SIGGRAPH 2017
- A Machine Learning Approach for Filtering Monte Carlo Noise / SIGGRAPH 2015
- CS580 Computer Graphics Lecture Slide
- CS484 Introduction to Computer Vision Lecture Slide
- CS576 Computer Vision Lecture Slide
- <https://www.slideshare.net/JinwonLee9/ss-70446412>