

Denoising Monte Carlo Sequences

This time with: Recurrent Auto-Encoders and
Temporal Gradient Estimation

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Microfacet model and Microfacet-based BRDF

- Extracting Microfacet-based BRDF Parameters from Arbitrary Materials with Power Iterations
- Fast Global Illumination with Discrete Stochastic Microfacets Using a Filterable Model

Extracting Microfacet-based BRDF Parameters from Arbitrary Materials with Power Iterations

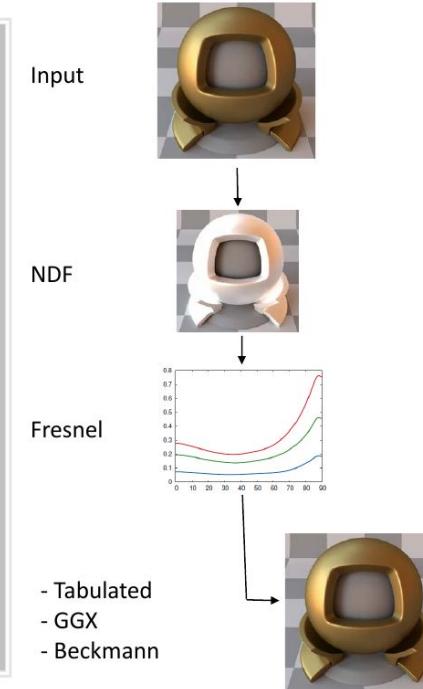
Contribution

Idea:

- Find the NDF
- Approximize the Fresnel term

Properties:

- Robustness
- Simplicity
- Speed
- Reproducibility



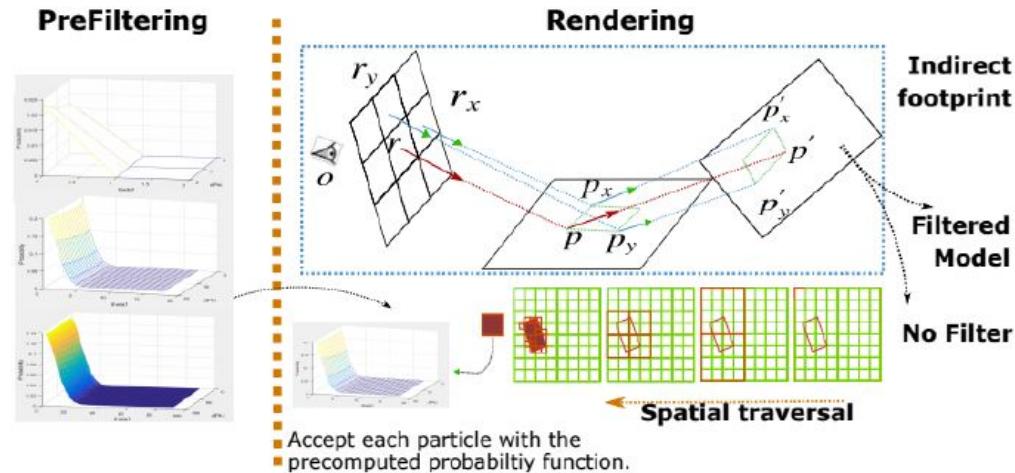
Fast Global Illumination with Discrete Stochastic Microfacets Using a Filterable Model

Idea:

If a footprint cover a large surface,
- individual glint are not noticeable;
- average contribution

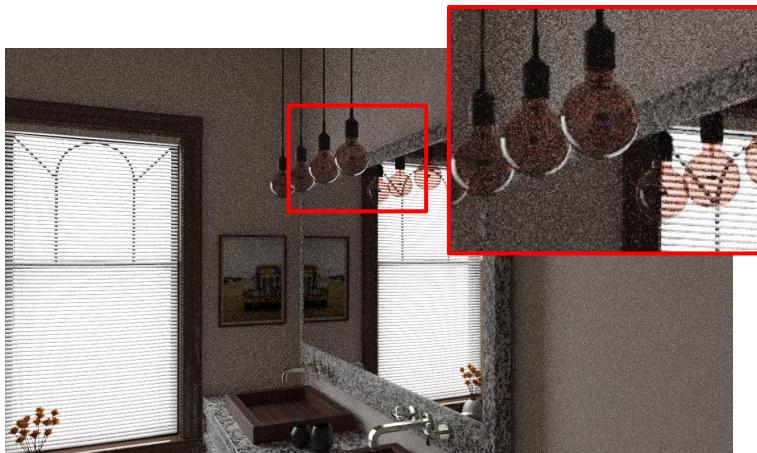
In practice:

Filterable model prefer for
- material far from camera;
- Several bounce in global illumination

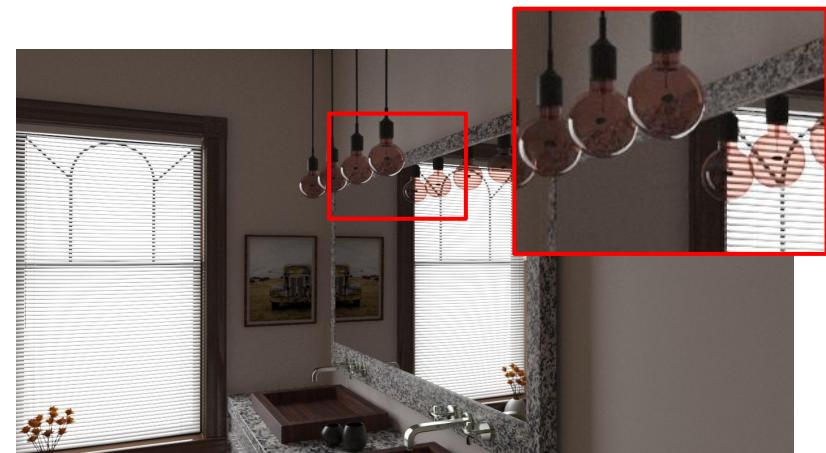


Motivation

- High samples per pixels (spp) → A lot of time
- Cut down time by creating low samples images → Noisy
- Desired: Same Performance
- + Sequences: Consistent through time



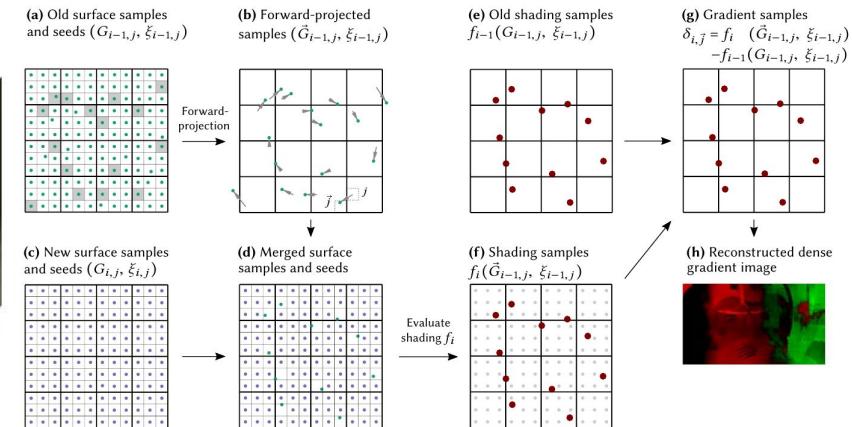
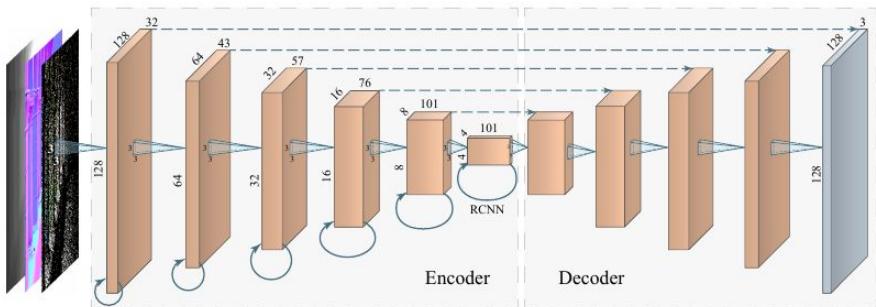
128spp



8192spp

Papers

- Interactive Reconstruction of Monte Carlo Image Sequences using a Recurrent Denoising Autoencoder
- Gradient Estimation for Real-Time Adaptive Temporal Filtering



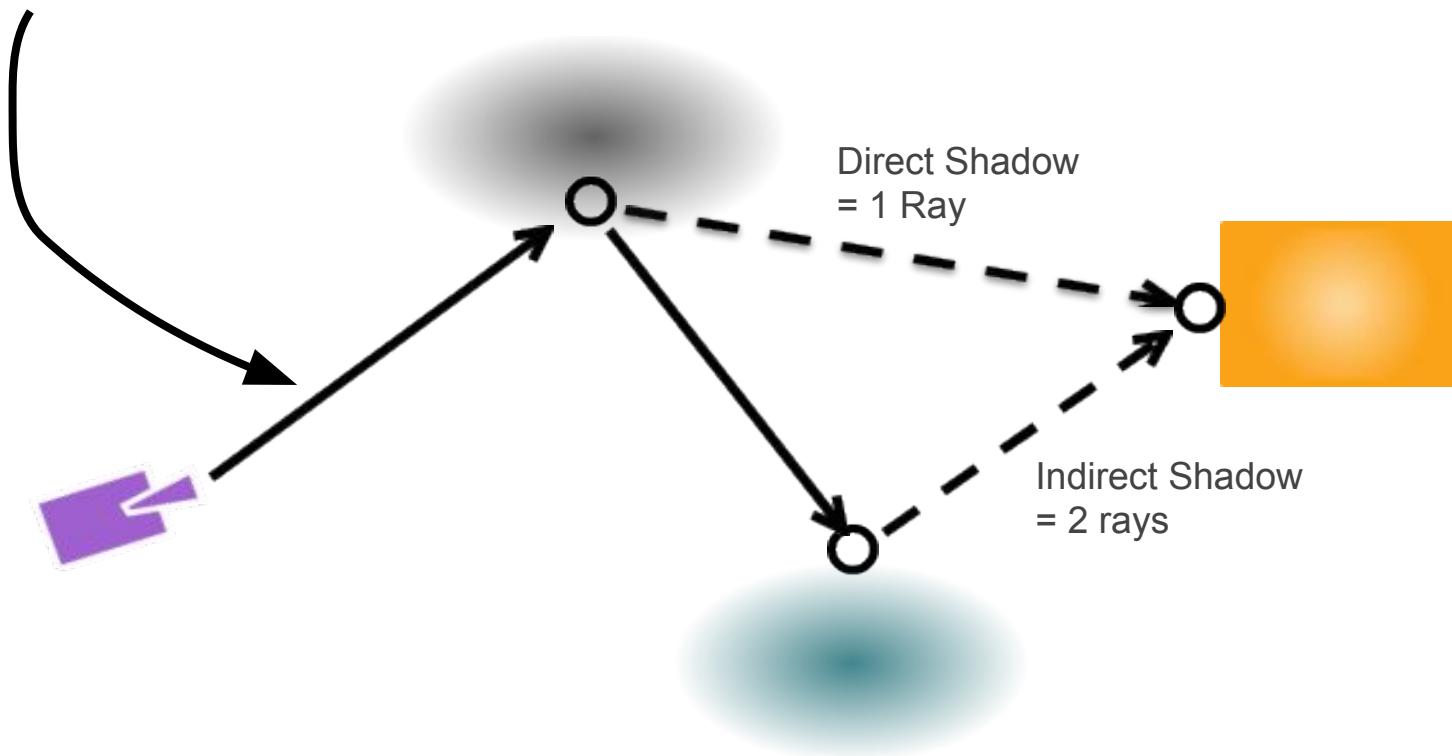
Interactive Reconstruction of Monte Carlo Image Sequences using a Recurrent Denoising Autoencoder

C. R. A. Chaitanya et al.

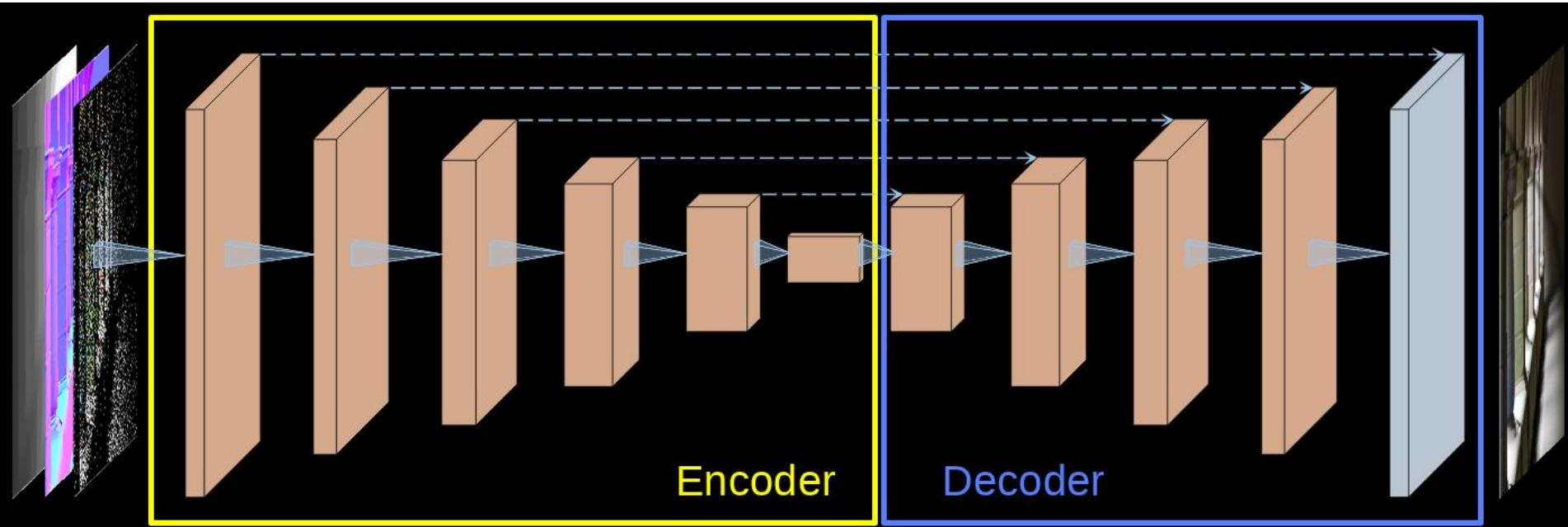
Environment

- Interactive Path Tracer
 - 1spp (!) for 1080p@30FPS
 - Next event estimation
 - Use rasterization to store shading attributes in G-Buffer
 - OptiX
- No depth of field or motion blur
- Rasterization to generate G-Buffer: 4 scalar values per pixel
 - View-space shading normals (2D)
 - Linearized depth (1D)
 - Material roughness (1D)
- + RGB (3D) → 7 scalar values per pixel

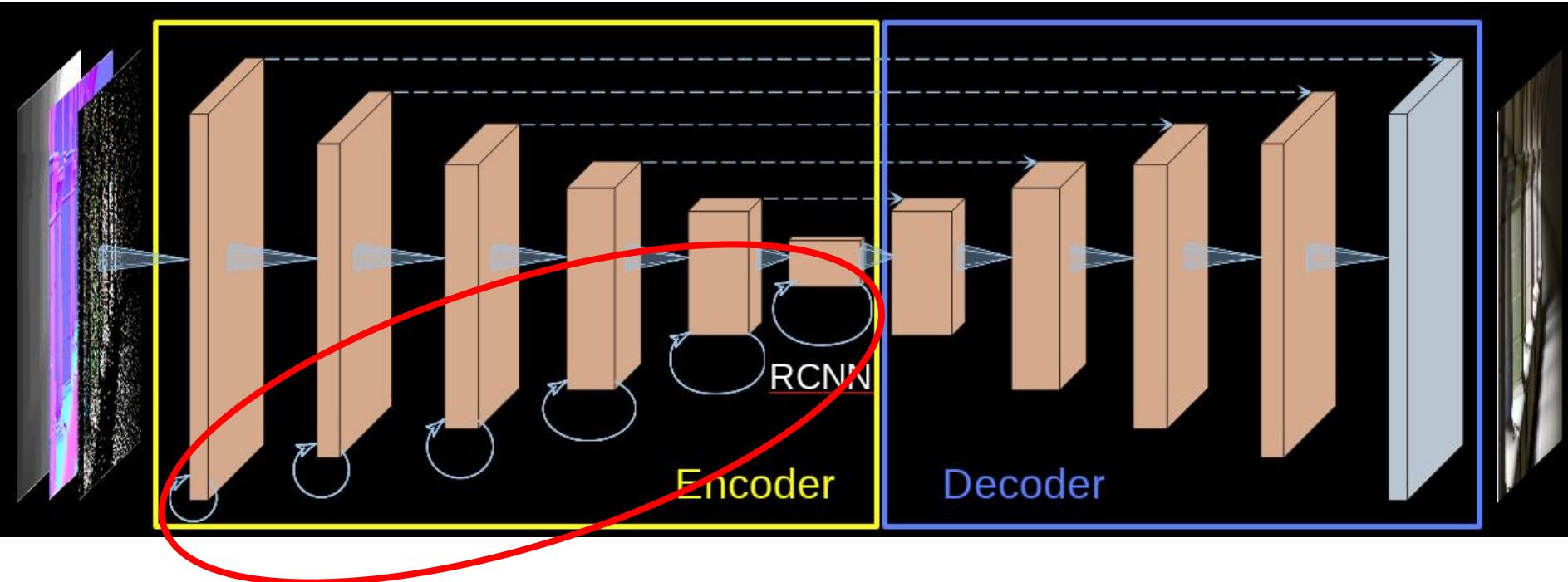
1spp



Denoising Autoencoder (DAE)



Recurrent Denoising Autoencoder (RAE)



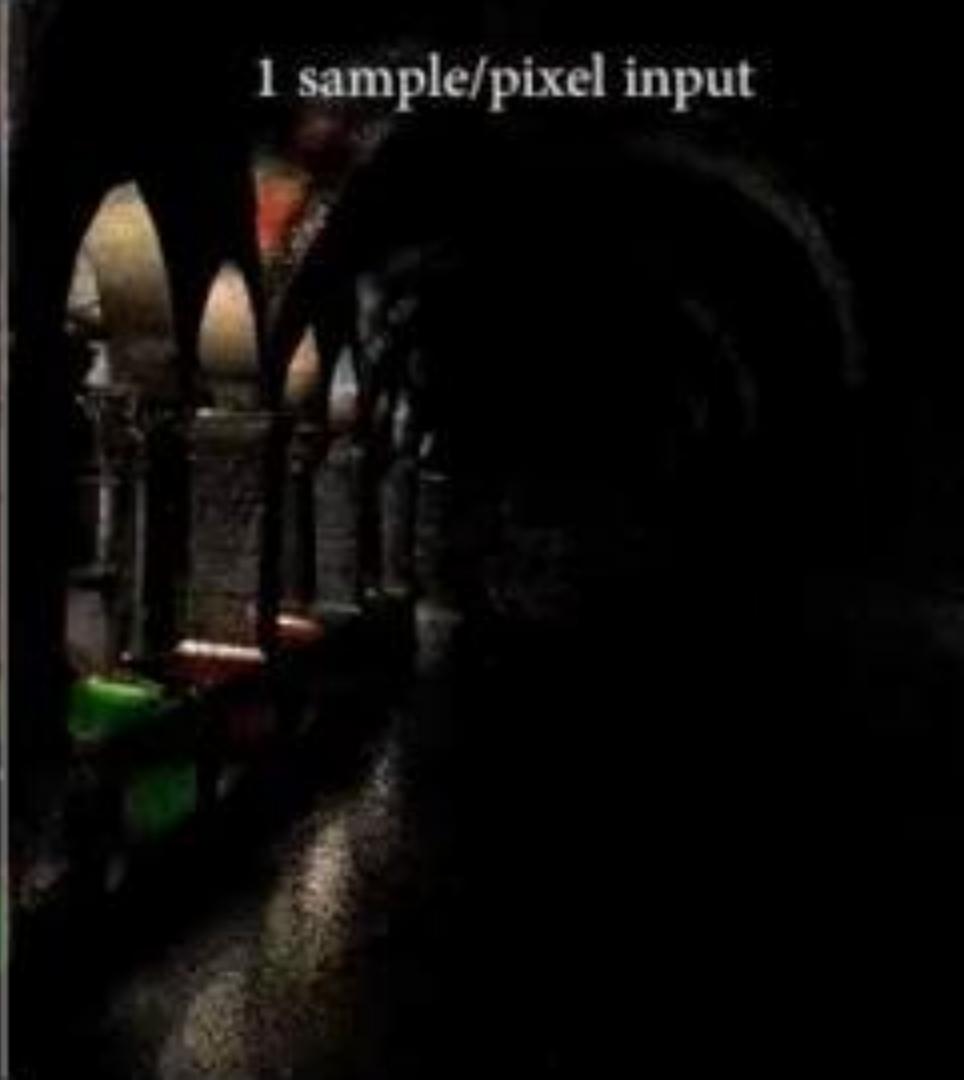
Training Setup

- Data augmentation for sequence
 - $1024 \times 1024 \rightarrow 128 \times 128$ randomly sampled
 - Random beginning of sequence
 - Forward and backward replay
 - Random stop
 - Random rotation
- Loss L1:
 - pixel-wise \rightarrow Single images
$$\mathcal{L}_t = \frac{1}{N} \sum_i^N (|\nabla P_i - \nabla T_i|)$$
 - pixel-wise gradient \rightarrow Edges
$$\mathcal{L}_t = \frac{1}{N} \sum_i^N (|P_i - T_i|)$$
 - pixel-wise time derivative \rightarrow Coherent over time
$$\mathcal{L}_t = \frac{1}{N} \sum_i^N \left(\left| \frac{\partial P_i}{\partial t} - \frac{\partial T_i}{\partial t} \right| \right)$$

Recurrent autoencoder



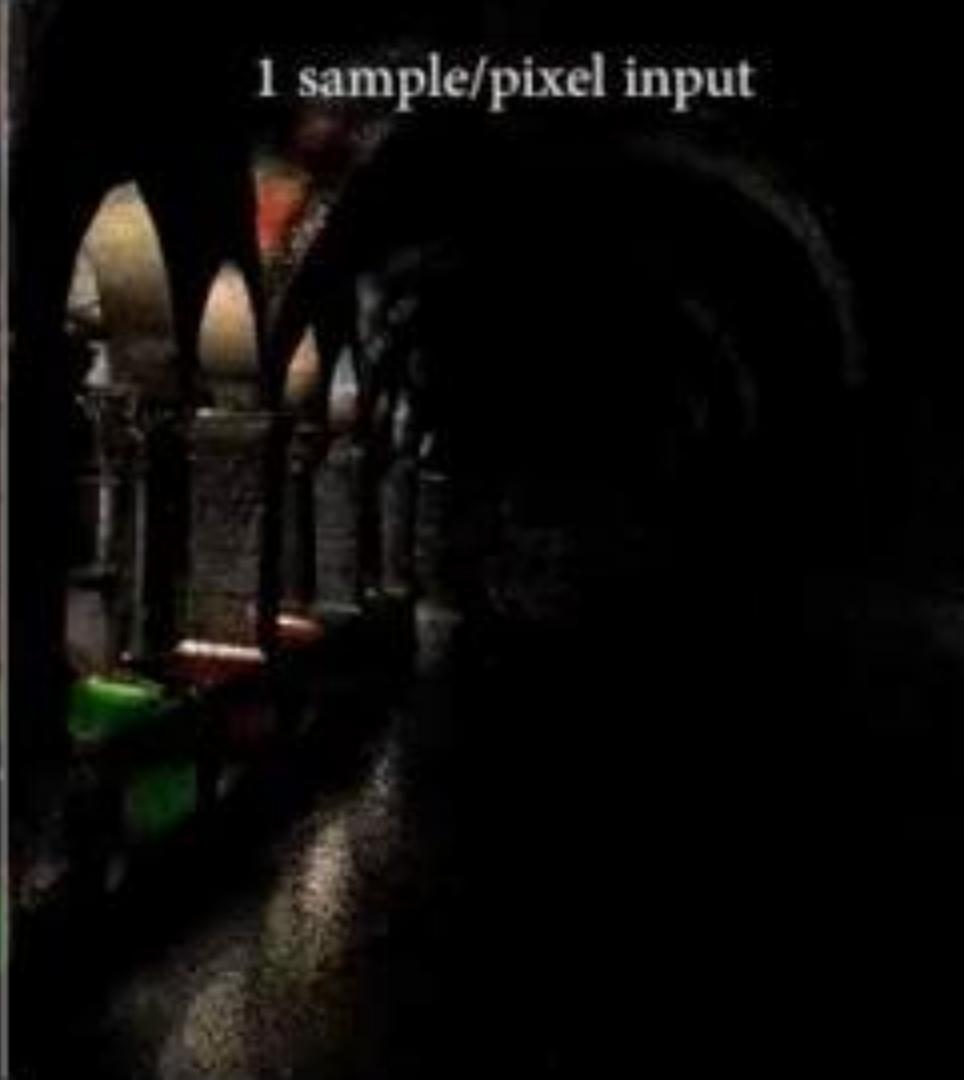
1 sample/pixel input



Recurrent autoencoder



1 sample/pixel input



Gradient Estimation for Real-Time Adaptive Temporal Filtering

C. Schied et al.

Problem

- Static scenes
- Moving scenes: ghosting & temporal lagging
 - Constant temporal accumulation factor α
 - Shading samples from previous frame re-used
 - Sudden change → not relevant anymore

→ Solution:

- Adaptively change temporal accumulation factor per frame per pixel
 - Fast response time for sudden changes
 - Aggressive re-use for static regions

Back-Propagation

$$\hat{c}_i(x) = \alpha \cdot c_i(x) + (1 - \alpha) \cdot \hat{c}_{i-1}(\overleftarrow{x})$$

where

\hat{c}_i new temporally filtered frame

i current timestep

x pixel position in current frame

c_i current frame

\hat{c}_{i-1} previously temporally filtered frame

\overleftarrow{x} pixel position in previous frame

Back-Propagation

$$\hat{c}_i(x) = \alpha \cdot c_i(x) + (1 - \alpha) \cdot \hat{c}_{i-1}(\overleftarrow{x})$$

Big $\alpha \rightarrow$ Current Frame
Small $\alpha \rightarrow$ Previous Frame

Temporal Gradient

Basic Version:

$$\delta_{i, \rightarrow} := f_i(\overrightarrow{G}_{i-1,j}) - f_{i-1}(G_{i-1,j})$$

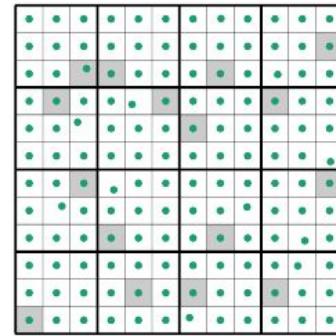
Shading Function Shading Function
Forward Projected Sample Previous Sample

Extended Version:

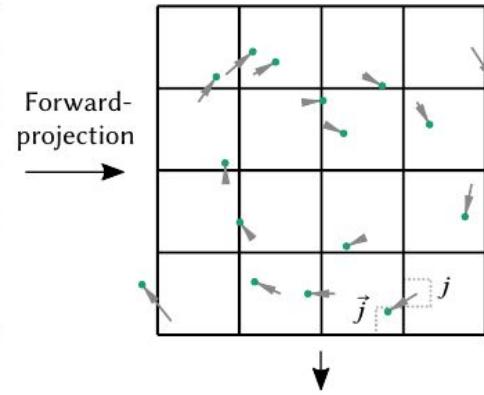
$$\delta_{i, \rightarrow} := f_i(\overrightarrow{G}_{i-1,j}, \xi_{i, \rightarrow}) - f_{i-1}(G_{i-1,j}, \xi_{i-1, \rightarrow})$$

Random Number Random Number

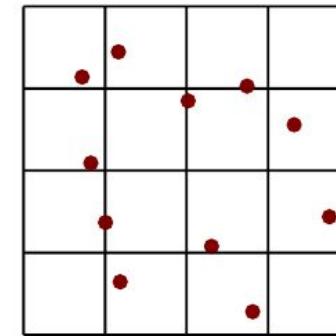
(a) Old surface samples
and seeds ($G_{i-1,j}$, $\xi_{i-1,j}$)



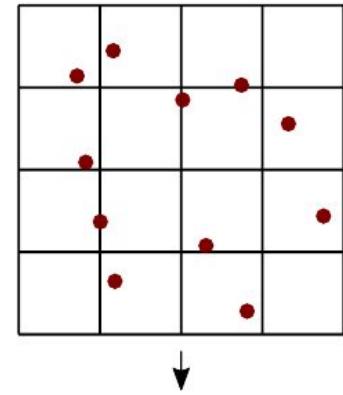
(b) Forward-projected
samples ($\vec{G}_{i-1,j}$, $\xi_{i-1,j}$)



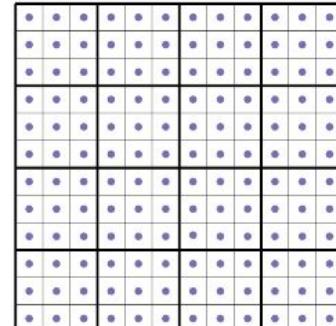
(e) Old shading samples
 $f_{i-1}(G_{i-1,j}, \xi_{i-1,j})$



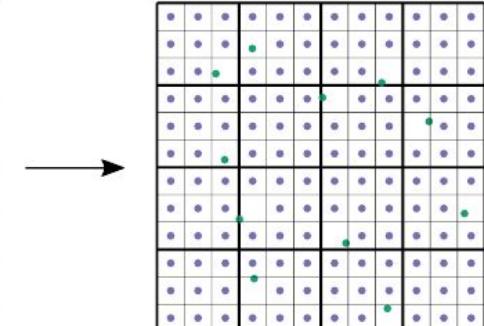
(g) Gradient samples
 $\delta_{i,\vec{j}} = f_i - (\vec{G}_{i-1,j}, \xi_{i-1,j})$



(c) New surface samples
and seeds ($G_{i,j}$, $\xi_{i,j}$)

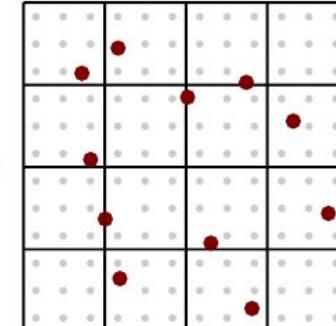


(d) Merged surface
samples and seeds



Evaluate
shading f_i

(f) Shading samples
 $f_i(\vec{G}_{i-1,j}, \xi_{i-1,j})$



(h) Reconstructed dense
gradient image



Controlling the Temporal Accumulation Factor

Normalized History Weight:

$$\lambda(p) := \min \left(1, \frac{|\hat{\delta}_i(p)|}{\hat{\Delta}_{i,j}(p)} \right) \quad p: \text{Subset}$$

Normalizer:

$$\Delta_{i,j} := \max \left(f_i(\vec{G}_{i-1}, j, \xi_{i-1,j}), f_{i-1}(\vec{G}_{i-1}, j, \xi_{i-1,j}) \right)$$

Adaptive Temporal Accumulation Factor:

$$\alpha_i(p) := (1 - \lambda(p)) \cdot \alpha + \lambda(p)$$

$$\hat{c}_i(x) = \alpha \cdot c_i(x) + (1 - \alpha) \cdot \hat{c}_{i-1}(\overleftarrow{x})$$

Evaluation: RAE vs. A-RAE

- RAE
 - no temporal accumulation
- A-RAE
 - Adaptive temporal accumulation
- Trade-Off
 - Image Quality
 - Temporal ghosting & lagging
- Inference Time RAE: 191ms
 - Adaptive temporal accumulation: 2ms
 - Negligible

A-SVGF (ours, slowed)



A-SVGF (ours, slowed)



Summary

- Baseline auto-encoder network
- + Skip connections
- + Recurrent blocks
- + Adaptive temporal accumulation
- → 1spp real-time
 - Quake 2
 - <http://brechpunkt.de/q2vkpt/> (open source)
 - <https://youtu.be/vY0W3MkZF4> (closed source)

Quiz

1. Which buffer is not used to train the recurrent auto-encoder (RAE)?
 - a. View-space shading normals (2D)
 - b. Raw texture color (3D)
 - c. Material roughness (1D)
 - d. Linearized depth (1D)
2. When the temporal gradient δ increases which frame is getting preferred?
 - a. previous frame
 - b. current frame
3. When increasing the temporal accumulation factor α which frame is getting preferred?
 - a. previous frame
 - b. current frame